

Stability of linear interval discrete systems with delay and convergence of its solutions

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Session: 7. Difference equations and their application in the mathematical modeling

This investigation is a joint work with Josef Diblík (Brno University of Technology, Czech Republic), Denys Khusainov (Kiev National University, Ukraine) and Andrii Sirenko (Kiev National University, Ukraine).

Consider the so-called linear interval difference systems with delay

$$x(k+1) = (A + \Delta A(k))x(k) + (B + \Delta B(k))x(k-m), \quad k = 1, 2, \dots \quad (1)$$

Where A, B are constant matrices, $\Delta A(k) = \{\Delta a_{ij}(k)\}$, $\Delta B = \{\Delta b_{ij}(k)\}$ $i, j = 1, 2, \dots, n$ are matrices whose coefficients can take their values from some pre-assigned intervals

$$|\Delta a_{ij}(k)| \leq \alpha_{ij}, \quad |\Delta b_{ij}(k)| \leq \beta_{ij}, \quad i, j = 1, 2, \dots, n,$$

and $\alpha_{ij} \geq 0$, $\beta_{ij} \geq 0$ are constants.

We formulate a definition of interval stability and give sufficient conditions guaranteeing interval stability of the system (1). Estimation of convergence of solutions is derived as well.