

## On infinite groups with finitely many conjugacy classes

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We consider here infinite groups with a finite number of conjugacy classes (FNCC-groups). Among results on these groups we give a criterion for a wreath product of FNCC-groups to be an FNCC-group.

Our motivation goes from some results on endomorphisms of  $C[G]$  and finite generation of the group  $U(C[G])$ , where  $C$  is a commutative, but not reduced ring, and  $G$  is a u.p.-group. The case of  $End_C(C[G])$  and  $U(C[G])$  when  $C$  is reduced is well understood.

### References

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