## Gromov-Hausdorff distance and isometry

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The Gromov-Hausdorff distance measures how closely two metric space can be embedded into a third metric space. For compact metric spaces, Gromov-Hausdorff distance 0 implies isometry, but this is false for arbitrary Polish spaces. We consider the equivalence relation  $E_{GH}$  between Polish spaces defined by having Gromov-Hausdorff distance 0 from the viewpoint of Borel reducibility, and show that it is at least as complicated as isometry of Polish spaces. In order to compare  $E_{GH}$  with isometry, we study the complexity of isometry on single  $E_{GH}$  classes and show how to realize various equivalence relations such as the iterated Friedman-Stanley jumps of the equality relation.